

2.  $\triangle ABC$  have its vertices at A(2,3), B(5,1), and C(2,1). (20 pts) Find the coordinates of its image after the given transformation. (Sketch is optional)

a. 
$$\triangle ABC \xrightarrow{T_{2,-3}} \triangle A'B'C'$$

B.  $\triangle ABC \xrightarrow{T_{2,-3}} \triangle A''B''C''$ 

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C.  $\triangle ABC \xrightarrow{R_{90^{\circ}},(0,0)} \triangle A'''B'''C'''$ 

C(2,1)

B(5,1)

B(5,1)

B'(1,5)

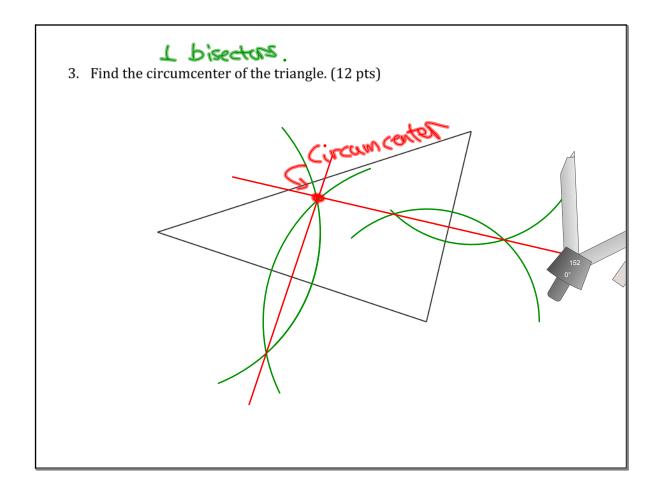
C'(1,2)

B(1,1)

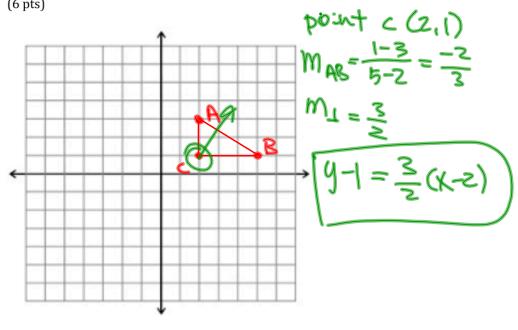
B''(-1,5)

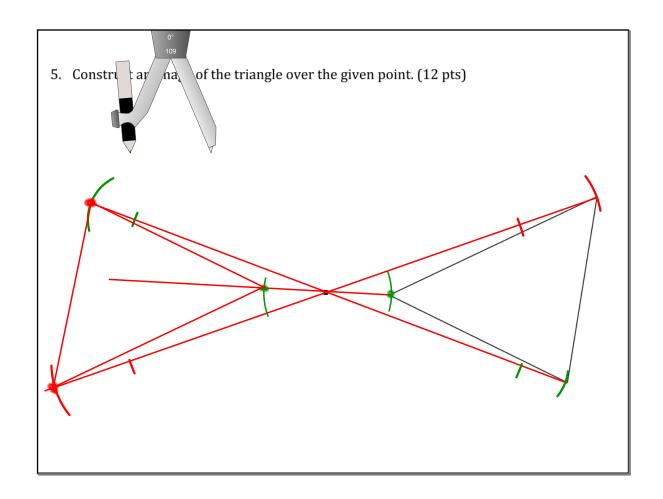
C(2,1)

C''(-1,2)

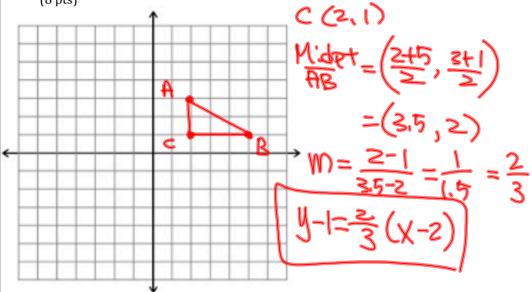


4. Find an equation of the altitude from C if  $\triangle ABC$  have its vertices at A(2,3), B(5,1), and C(2,1). (6 pts)





6. Find an equation of the median from C if  $\triangle ABC$  have its vertices at A(2,3), B(5,1), and C(2,1). (8 pts)



7. Find an equation of the circle if its center is at (2, 1) and passes through the origin. (8 pts)

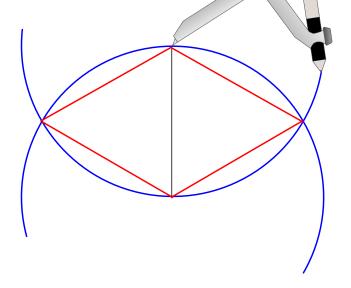
$$(x-p)_{5} + (A-p)_{5} = 2$$

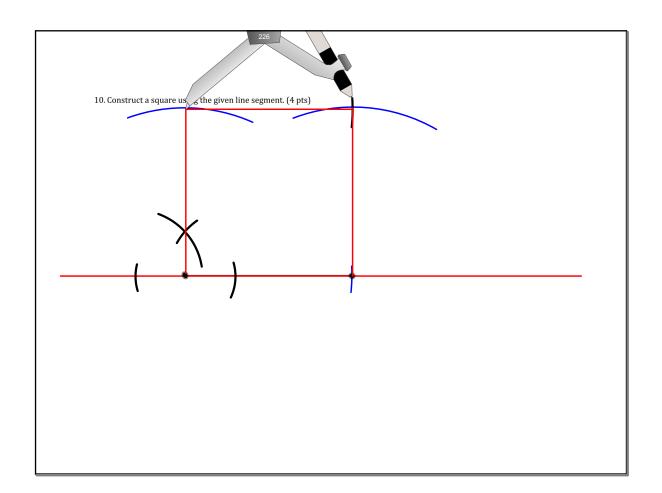
8. Find the center and radius of the given equation. (10 pts)

$$x^2 - 6x + y^2 + 4y = 12$$

$$(x-3)^2 + (y+2)^2 = 25$$

$$(X-3)^2 + (y+2)^2 = 25$$





4.

Given:  $\overline{AB} \cong \overline{AC}$  $\overline{AD} \cong \overline{AE}$ 

Prove:  $\overline{BF} \cong \overline{CF}$ 

